

Research Article

# Potential Improvement in Shelf Life Using the Prodrug Approach. II. A Systematic Examination of Kinetic Requirements

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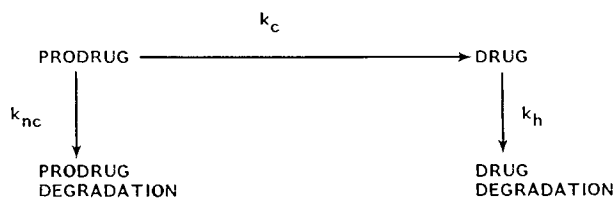
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The utilization time (UT) for a solution of a prodrug that is rapidly and completely converted to drug in the blood may be longer than the time for 10% loss of the initial concentration. The UT for an *intravenous* prodrug solution is the period during which the *total* prodrug and drug concentration exceeds 90% of the initial concentration. The influence of the rate of prodrug degradation ( $k_{nc}$ ), its conversion ( $k_c$ ) to drug, and the subsequent drug degradation ( $k_h$ ) on the UT of a stored solution was examined by simulating the prodrug and drug concentration–time courses. The ratio of the shelf life of a prodrug solution to that of the parent drug ( $UT_{ratio}$ ) was calculated using a wide range of values for the three rate constants. Three-dimensional plots relating the  $UT_{ratio}$  to the  $k_c$ ,  $k_{nc}$ , and  $k_h$  values provide a basis for making *a priori* assessments of kinetic requirements for designing a prodrug to increase storage time. A parenteral prodrug intended to increase storage time may have a larger overall rate of loss than the parent drug, but it must have a smaller degradation rate ( $k_{nc} < k_h$ ) to be successful. The UT for an *oral* prodrug solution depends upon the bioavailability of the prodrug relative to the drug in addition to the values for  $k_{nc}$ ,  $k_c$ , and  $k_h$ . Two ampicillin prodrugs were used as models to calculate actual  $UT_{ratio}$  versus pH profiles. Intravenous solutions showed modest gains in the  $UT_{ratio}$  in the acid region, whereas oral solutions reached a  $UT_{ratio}$  as high as 22 by combining favorable rate constants with increased bioavailability. These actual  $UT_{ratio}$  versus pH profiles were interpreted in terms of the theory established using the simulations.

**KEY WORDS:** prodrugs; shelf life; parenteral; oral; utilization time; computer simulation; bacampicillin; talampicillin; ampicillin; stability; storage; prodrug design.

## INTRODUCTION

Prodrugs are inactive drug precursors formed by covalently bonding a drug to an inert chemical by a linkage that may be broken (by any mechanism) to yield the drug *in vivo* (1,2). However, a prodrug in solution may prematurely convert to the drug via chemical hydrolysis during storage. It may also form biologically inactive products via a degradation pathway similar to that for the parent drug. For example, hydrolysis of ester prodrugs of penicillins may yield the corresponding penicillin while simultaneously forming inactive  $\beta$ -lactam degradation products. These rate processes are represented by



Scheme I

where  $k_c$  is the first-order rate constant for prodrug conversion to drug;  $k_{nc}$  and  $k_h$  are the prodrug and drug degradation constants for formation of inactive products.

This investigation determined what rate constant values are required to produce a prodrug solution having a longer shelf life than the parent drug. A solution of the parent drug was presumed useful until its concentration decreased to 90% of its initial value ( $T_{90}$ ). Prodrug utilization time (UT) was defined as the time during which administration of a prodrug solution provided a bioavailable dose of drug equal to or better than the parent drug at its  $T_{90}$ . Two assumptions are implicit throughout this report. Only prodrugs that are rapidly and completely converted to drug in the blood are considered. An extravascular prodrug dose is assumed to produce a drug plasma concentration–time course similar in shape to that of the parent drug but that may differ by a concentration scaling factor so that the bioavailable fraction can vary. Under these conditions, a fresh *intravenous* prodrug solution is bioequivalent to the parent drug. Moreover, the bioavailable dose remaining at any time is equal to the *total* concentration of the prodrug plus the drug. The UT for this solution is the time during which this total concentration exceeds 90% of the initial prodrug concentration. This UT is influenced by the three rate processes that control the concentration of prodrug and drug in Scheme I.

The UT for an extravascular prodrug solution is influenced not only by the processes occurring during storage

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but also by the bioavailability of the prodrug relative to the drug. Unlike the intravenous case, extravascular doses may not be bioequivalent. Consequently, the UT for an oral prodrug solution may differ from the UT for its intravenous solution as shown in this report using ampicillin prodrugs.

The specific aims of this research were

- (i) to calculate intravenous UT as a function of  $k_c$ ,  $k_{nc}$ , and  $k_h$  values by using computer simulations of Scheme I;
- (ii) to find which, if any, rate constant values provide a UT that exceeds the  $T_{90}$  value for the parent drug;
- (iii) to provide a basis for making *a priori* assessments regarding the  $k_c$  and  $k_{nc}$  values required for a favorable  $UT/T_{90}$  ratio when the  $k_h$  values for the drug are known;
- (iv) to use previously reported pH-rate expressions for  $k_h$ ,  $k_c$ , and  $k_{nc}$  (3), together with oral bioavailability values, to create examples of actual  $UT/T_{90}$  versus pH profiles for intravenous and oral prodrug solutions; and
- (v) to establish the relationship between these actual  $UT/T_{90}$  versus pH profiles and the rate constants that were found by computer to result in a prodrug storage advantage.

## THEORY

*Predicted Rate Constant Requirements for Prodrug Storage Advantage.* In Scheme I, the concentration of prodrug [PD] and drug [D] as a function of time may be written

$$[PD]_t = [PD]_0 e^{-(k_{nc}+k_c)t} \quad (1)$$

$$[D]_t = \frac{[PD]_0 k_c}{[k_h - (k_{nc} + k_c)]} [e^{-(k_{nc}+k_c)t} - e^{-(k_h)t}] \quad (2)$$

where  $[PD]_0$  is the initial prodrug concentration (2). First-order loss of the parent drug may be described by

$$[D]_t = [D]_0 e^{-(k_h)t} \quad (3)$$

where  $[D]_0$  is the initial concentration. The fraction,  $f_1$ , remaining in a drug solution as a function of time is described by rearranging Eq. (3) to give

$$f_1 = \frac{[D]_t}{[D]_0} = e^{-(k_h)t} \quad (4)$$

For an intravenous solution of prodrug, the bioavailable dose remaining as a function of time is the sum of the prodrug and drug. The fraction remaining as a function of time,  $f_2$ , is therefore the sum of Eqs. (1) and (2) divided by the initial prodrug concentration:

$$f_2 = \frac{[PD]_t + [D]_t}{[PD]_0} = \frac{1}{[k_h - (k_{nc} + k_c)]} \frac{1}{[(k_h - k_{nc})e^{-(k_{nc}+k_c)t} - k_c e^{-(k_h)t}]} \quad (5)$$

The difference between the fraction remaining in a prodrug solution and that in a drug solution as a function of time is represented by

$$f_2 - f_1 = \frac{k_h - k_{nc}}{[k_h - (k_{nc} + k_c)]} [e^{-(k_{nc}+k_c)t} - e^{-(k_h)t}] \quad (6)$$

The prodrug will provide a longer storage time than the drug for any combination of  $k_c$ ,  $k_{nc}$ , and  $k_h$  values that imparts a positive value to Eq. (6), i.e.,  $f_2 > f_1$ .

*Case 1: Favors the Drug.* When the drug is more stable

to degradation than the prodrug ( $k_h < k_{nc}$ ), Eq. (6) is negative ( $f_2 < f_1$ ). Thus, a solution of the drug will provide a longer shelf life than a solution of the prodrug.

*Case 2: Favors the Prodrug.* When the prodrug is more stable to degradation than the drug ( $k_{nc} < k_h$ ), Eq. (6) is positive ( $f_2 > f_1$ ) and a prodrug solution will provide a longer storage time than a drug solution. The rate constant for overall loss of the prodrug ( $k_{sum} = k_{nc} + k_c$ ) may exceed that of the drug ( $k_h$ ) but Eq. (6) remains positive so long as  $k_{nc} < k_h$ . Thus, the overall loss of prodrug may be greater than that of the drug, while the prodrug solution still provides a longer storage life than the drug solution.

In summary, Eq. (6) predicts an increase in the shelf life of a prodrug solution except when prodrug degradation ( $k_{nc}$ ) is more rapid than drug degradation ( $k_h$ ). Computer simulations were used to measure quantitatively the influence of the  $k_c$ ,  $k_{nc}$ , and  $k_h$  values on the prodrug storage stability.

*Utilization Time.* The shelf life of a drug solution was defined as  $T_{90} = 0.105/k_h$ . The UT of an intravenous prodrug solution was defined as the time at which the total prodrug and drug concentration became equal to 90% of  $[PD]_0$ . The utilization time ratio ( $UT_{ratio}$ ) was defined as the ratio of the prodrug UT to the drug  $T_{90}$  under identical storage conditions, i.e.,  $UT_{ratio} = UT/T_{90}$ .

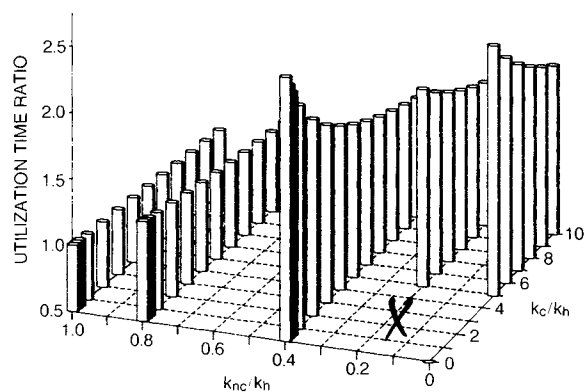
Whereas UT is a function of the absolute values for  $k_{nc}$ ,  $k_c$ , and  $k_h$ ,  $UT_{ratio}$  is governed only by the relative values of these three rate constants. The values for each rate constant were therefore varied through a range that was sufficient to establish the upper and lower limits of the  $UT_{ratio}$  as well as the intermediate values. The concentration-time courses for prodrug, Eq. (1), and drug, Eq. (2), were generated by computer using  $k_{nc}$ ,  $k_c$ , and  $k_h$  values (excluding  $k_h = 0$ ,  $k_{sum} = 0$ , and  $k_h = k_{sum}$ ) systematically combined to define the  $UT_{ratio}$  trends adequately. The total prodrug and drug in a stored solution was obtained as a function of time by adding the concentrations,  $[PD]_t$  and  $[D]_t$ .

For each set of rate constant values, the total concentration of prodrug and drug was evaluated as a function of time to determine reiteratively the time at which this sum reached  $90.0 \pm 0.01\%$  of the initial prodrug concentration. The  $UT_{ratio}$  was calculated for each set of  $k_h$ ,  $k_{nc}$ , and  $k_c$  values. Because a wide range of values was employed for each of the three rate constants, a wide range of  $UT_{ratio}$  values resulted.

In order to generalize the results, the  $UT_{ratio}$  values were incorporated into three-dimensional plots as a function of the two prodrug rate constants, which were normalized with respect to  $k_h$ . Thus, for a known value of  $k_h$ , the  $k_{nc}$  and  $k_c$  values associated with a given  $UT_{ratio}$  can be obtained from the three-dimensional plots. The interpretation and use of these plots are discussed next.

*The Influence of the Conversion and Degradation Rates.* The prodrug solution increased the storage time whenever the  $UT_{ratio}$  exceeded one. Figure 1 shows the  $UT_{ratio}$  values obtained when  $k_{nc}$  was less than or equal to  $k_h$  ( $k_{nc}/k_h \leq 1$ ) and  $k_c$  values were 0 to 10 times  $k_h$ . Figure 2 is an enlarged presentation of the region where  $k_{nc}/k_h \leq 0.2$  and  $k_c/k_h \leq 5.0$ . As shown in Fig. 1, the  $UT_{ratio}$  was 1.0, independent of the  $k_c$  value, when the degradation rates of the prodrug and drug were equal ( $k_{nc} = k_h$ ).

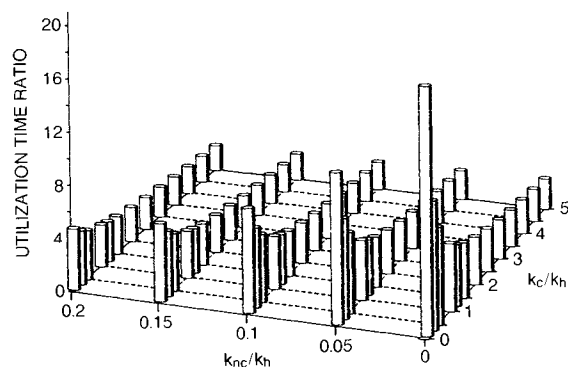
Figures 1 and 2 show that the  $UT_{ratio}$  depends primarily on the prodrug degradation rate constant ( $k_{nc}$ ) relative to the



**Fig. 1.** The utilization time ratio comparing the shelf life (UT) for an *intravenous* solution of a prodrug described by Scheme I to the  $T_{90}$  for a solution of the parent drug ( $UT_{\text{ratio}} = UT/T_{90}$ ). When  $k_{\text{nc}} \leq k_{\text{h}}$ , the  $UT_{\text{ratio}}$  is equal to or greater than one and the  $UT_{\text{ratio}}$  is reduced by increasing  $k_{\text{c}}$ . Larger values for the  $UT_{\text{ratio}}$ , associated with section X, are shown in Fig. 2.

degradation constant for the parent drug ( $k_{\text{h}}$ ) and to a lesser extent on the prodrug conversion constant ( $k_{\text{c}}$ ). As predicted in Case 2, the shelf life of a prodrug solution exceeded the drug ( $UT_{\text{ratio}} > 1$ ) whenever the prodrug was more stable to degradation ( $k_{\text{nc}} < k_{\text{h}}$ ). These  $UT_{\text{ratio}}$  values were reduced as  $k_{\text{c}}$  was enlarged since this increased prodrug conversion to the less stable drug.

These figures can be used to predict the rate constant values necessary to achieve a desired  $UT_{\text{ratio}}$ . Consider, for example, a drug that has a 4-month shelf life and a minimum desired shelf life of 2 years for marketing. The required  $UT_{\text{ratio}}$  is therefore 6. The necessary rate constant values can be observed in Fig. 2, where two acceptable examples are  $k_{\text{nc}} = 0.1 k_{\text{h}}$  with  $k_{\text{c}} \leq 0.3 k_{\text{h}}$  and  $k_{\text{nc}} = 0.05 k_{\text{h}}$  with  $k_{\text{c}} \leq 0.5 k_{\text{h}}$ . The range of acceptable values can be used to decide *a priori* whether or not it is feasible to obtain the desired  $UT_{\text{ratio}}$  through bioreversible chemical modification. For example, the observed  $\beta$ -lactam stabilization via penicillin prodrug formation was about threefold (4–6). This represents a  $k_{\text{nc}}/k_{\text{h}}$  value of 0.33. A  $k_{\text{nc}}/k_{\text{h}}$  value of 0.33 would provide a maximum  $UT_{\text{ratio}}$  of 3 at  $k_{\text{c}} = 0$ , which would decrease as  $k_{\text{c}}$  increased. This ratio is not shown in Fig. 1, but the trend would be similar to that shown for  $k_{\text{nc}}/k_{\text{h}} = 0.4$ .



**Fig. 2.** The  $UT_{\text{ratio}}$  values taken from section X in Fig. 1. These values represent prodrugs described by Scheme I when  $k_{\text{nc}} \leq 0.2 k_{\text{h}}$  and  $k_{\text{nc}} \leq 5 k_{\text{h}}$ .

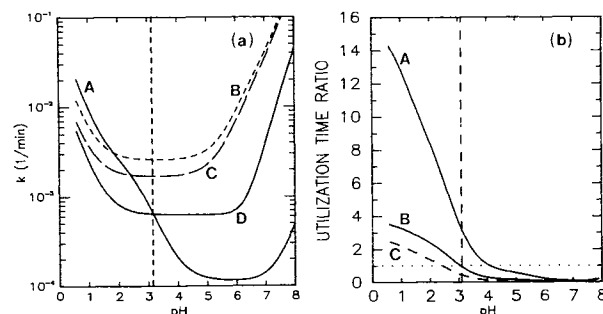
## DISCUSSION

The chemical properties of a prodrug can influence its bioavailability and reactivity. The pH and buffer composition of a prodrug solution can affect its hydrolysis rate. Consequently, the UT of a prodrug solution is altered by both the formulation and the bioavailability of the prodrug relative to the drug.

**Effect of pH on Prodrug Solution Shelf Life.** As observed in Figs. 1 and 2, the  $UT_{\text{ratio}}$  depends upon the relationship among  $k_{\text{nc}}$ ,  $k_{\text{c}}$ , and  $k_{\text{h}}$ . Since each of these rate constants would be expected to have a unique pH–rate profile (7), the  $UT_{\text{ratio}}$  also varies with pH. To examine the  $UT_{\text{ratio}}$  as a function of pH, it is necessary to have pH-dependent rate expressions for each of the three rate constants. These data were determined for the ampicillin prodrugs, talampicillin and bacampicillin, at 50.5°C,  $\mu = 0.5$  (3). Although this does not represent a practical storage condition, these prodrugs illustrate how  $UT_{\text{ratio}}$  versus pH profiles relate to the two cases discussed following Eq. (6) and the observations in Figs. 1 and 2.

Both talampicillin and bacampicillin are so rapidly and completely converted to ampicillin in the blood (8–12) that intravenous administration would be bioequivalent to ampicillin itself. Figure 3a shows the pH–rate profiles for the talampicillin rate constants,  $k_{\text{c}}$ ,  $k_{\text{nc}}$ , and  $k_{\text{sum}}$ , and the ampicillin hydrolysis constant,  $k_{\text{h}}$ . The vertical dashed line shows the pH where  $k_{\text{h}} = k_{\text{nc}}$ .

The data correspond to Case 2 at  $\text{pH} < 3.2$ , where curve D is less than A, i.e.,  $k_{\text{nc}} < k_{\text{h}}$ . The predicted increase in prodrug UT is verified by curve B in Fig. 3b, where the  $UT_{\text{ratio}}$  exceeds 3.5 at  $\text{pH} < 1.0$ . At pH values greater than 1.8,  $k_{\text{sum}}$  (curve B) exceeds  $k_{\text{h}}$ . Therefore, the pH region 1.8 to 3.2 represents the case where overall loss of prodrug exceeds that of drug while the prodrug shelf life remains longer than that of the drug as seen by the corresponding pH region in Fig. 3b, where  $1.0 < UT_{\text{ratio}} < 2.5$ . At  $\text{pH} = 3.2$ ,  $k_{\text{nc}} = k_{\text{h}}$  and therefore the  $UT_{\text{ratio}}$  is one. Case 1 is illustrated at  $\text{pH} > 3.2$ , where talampicillin degradation exceeds ampicillin degradation,  $k_{\text{nc}} > k_{\text{h}}$ . Therefore, the storage stability for ampi-



**Fig. 3.** (a) The pH–rate profiles at 50.5°C,  $\mu = 0.5$ , for (A) ampicillin degradation,  $k_{\text{h}}$  (—); (B) overall loss of talampicillin,  $k_{\text{sum}}$  (---); (C) talampicillin conversion to ampicillin,  $k_{\text{c}}$  (—); (D) talampicillin degradation,  $k_{\text{nc}}$  (—). The vertical dashed line divides the pH regions into Cases 1 and 2. (b) The talampicillin  $UT_{\text{ratio}}$  versus pH profiles at 50.5°C. Curve A is the *oral equimolar* dose, B is the *intravenous* solution, and C is the *oral bioequivalent* dose. The dotted line shows a  $UT_{\text{ratio}}$  of one. The dashed line shows the pH regions for Cases 1 and 2.

collin is greater than that for talampicillin ( $UT_{ratio} < 1.0$ ; curve B, Fig. 3b).

A similar treatment was applied to the bacampicillin data in Fig. 4. At  $pH < 4.5$ , bacampicillin degradation (curve D) is nearly equal to  $k_{sum}$  (curve B) and bacampicillin conversion (curve C) is not significant. Curves A ( $k_h$ ) and D ( $k_{nc}$ ) are equal at  $pH 3.5$ . At  $pH < 3.5$ ,  $k_{nc}$  is less than  $k_h$  and the  $UT_{ratio}$  favors bacampicillin (curve B, Fig. 4b). This region illustrates Case 2. At a  $pH$  of 3.5,  $k_{nc}$  equals  $k_h$ , and therefore the  $UT_{ratio}$  equals one (curve B, Fig. 4b). At  $pH > 3.5$ ,  $k_{nc}$  is greater than  $k_h$ , which corresponds to Case 1, where bacampicillin is less stable than ampicillin and therefore  $UT_{ratio} < 1$  (Fig. 4b).

**The Influence of Buffer Catalysis.** Since the  $UT_{ratio}$  is determined by the relative values of  $k_{nc}$ ,  $k_c$ , and  $k_h$ , this ratio may be influenced by general acid–base catalysis. Just as each of the three rate constants have unique pH–rate profiles in the absence of general acid–base catalysis (3), the rate constants may be influenced to varying extents by the buffer concentration at a fixed pH. *A priori*, one might expect that the  $UT_{ratio}$  could increase, decrease, or remain unchanged in the presence of general acid–base catalysts such as buffer components.

The rate constants,  $k_c$ ,  $k_{nc}$ , and  $k_h$ , for bacampicillin and ampicillin in various buffers at  $50.5^\circ C$ ,  $\mu = 0.5$  (3), were used to calculate the  $UT_{ratio}$  values as a function of pH and buffer concentration. The results confirm that buffer catalysis can alter the  $UT_{ratio}$ .

At each pH in Fig. 5, the buffer ratio was constant while the total buffer concentration was increased and the pH and ionic strength were maintained constant. At  $pH 3.52$  and  $4.64$ , in acetate buffer, the  $UT_{ratio}$  increased with increasing buffer concentration. Because  $k_h$  increased to a greater extent than  $k_{nc}$ , the  $T_{90}$  for ampicillin was reduced to a greater extent by buffer catalysis than was the UT value for bacampicillin. However, at  $pH 6.56$ , in phosphate buffer, the  $UT_{ratio}$  was depressed by the addition of buffer. At  $pH 5.64$ , the acetate buffer also caused a small but observable decrease in the  $UT_{ratio}$ . The remaining case,  $pH 7.52$  (phosphate), was insensitive to buffer concentration, probably be-

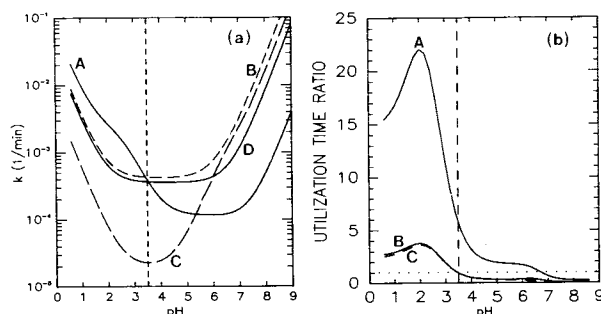


Fig. 4. (a) The pH–rate profiles at  $50.5^\circ C$ ,  $\mu = 0.5$ , for (A) ampicillin degradation,  $k_h$  (—); (B) overall loss of bacampicillin,  $k_{sum}$  (---); (C) bacampicillin conversion to ampicillin,  $k_c$  (—); (D) bacampicillin degradation,  $k_{nc}$  (—). The vertical dashed line divides the pH regions into Cases 1 and 2. (b) The bacampicillin  $UT_{ratio}$  versus pH profiles at  $50.5^\circ C$ . Curve A is the oral equimolar dose, B is the intravenous solution, and C is the oral bioequivalent dose. The dotted line shows a  $UT_{ratio}$  of one. The dashed line shows the pH regions for Cases 1 and 2.

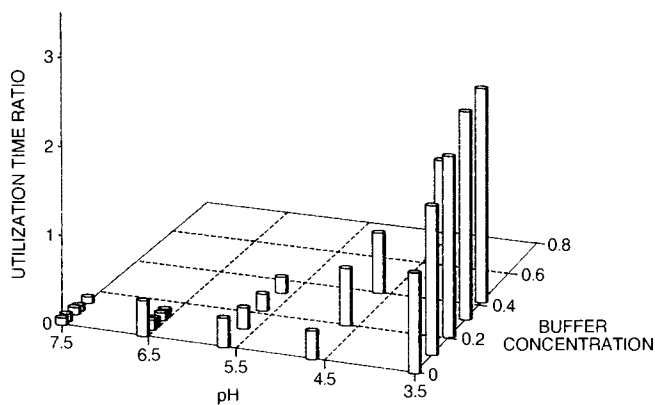


Fig. 5. The  $UT_{ratio}$  values for bacampicillin as a function of pH and total buffer concentration at  $50.5^\circ C$ ,  $\mu = 0.5$ . Buffers are acetate at  $pH 3.52$  and  $4.64$  and phosphate at  $pH 5.64$ ,  $6.56$ , and  $7.52$ . The observed values for  $k_c$ ,  $k_{nc}$ , and  $k_h$  were taken from a previous study (3) to calculate the  $UT_{ratio}$  values.

cause prodrug instability resulted in very low  $UT_{ratio}$  values, which obscured any changes. Thus, this example illustrates increase, decrease, and independence of the  $UT_{ratio}$  on buffer concentration.

**Bioavailability Considerations.** The UT of an extravascular prodrug solution can exceed that of its intravenous solution when the extravascular prodrug dose is absorbed to a greater extent than an equimolar dose of its similarly administered parent drug. This occurs because UT is defined in this report as the time during which the resulting drug plasma concentration–time course equals or exceeds that of the parent drug at its  $T_{90}$ . This can be illustrated by considering orally administered solutions of bacampicillin or talampicillin. Oral administration of either bacampicillin or talampicillin provides ampicillin plasma concentration–time courses that show roughly twice the extent of bioavailability with little or no change in curve shape or  $t_{max}$  relative to oral ampicillin (8–12).

The minimum acceptable plasma concentration time course is the one achieved by 90% of the bioavailable ampicillin dose,  $0.90 f_d D_0$ . Consequently, a prodrug solution was considered acceptable for use so long as it produced an ampicillin blood level–time course equal to or greater than that achieved by an acceptable ampicillin solution.

The  $UT_{ratio}$  versus pH profiles have been calculated for talampicillin and bacampicillin where the oral dose of a fresh prodrug solution was equimolar to the ampicillin dose. Since both talampicillin,  $f_{pd} = 0.87$  (8,9), and bacampicillin,  $f_{pd} = 0.89$  (10–12), are nearly twice as bioavailable as ampicillin,  $f_d = 0.50$  (1), the improvement in prodrug solution utilization time was significant. Both the talampicillin  $UT_{ratio}$  versus pH profile (curve A, Fig. 3b) and the bacampicillin  $UT_{ratio}$  versus pH profile (curve A, Fig. 4b) exceeded the intravenous prodrug solutions (B curves) over most of the pH range. The improvement in UT resulted from the fact that a mole of prodrug in an oral solution provided about twice the blood level of a mole of ampicillin. As these prodrugs became unstable relative to ampicillin ( $pH > 4$ , curves D in Figs. 3a and 4a), the  $UT_{ratio}$  decreased and ultimately fell below one when the improvement in bioavailability failed to compensate for prodrug instability (curves A in Figs. 3b and 4b).

$UT_{ratio}$  versus pH profiles were also generated to represent a prodrug dose which was adjusted to be bioequivalent to the drug dose ( $PD'_o = d_d D_o / f_{pd}$ ). In molar-equivalent oral dosing, the fresh prodrug solutions provided ampicillin plasma concentration–time courses that were superior to those obtained by administration of ampicillin. Since the extent of talampicillin and bacampicillin bioavailability is nearly twice that of ampicillin, the *bioequivalent* prodrug doses were less than the molecular equivalent doses.

Because the oral bioavailability of each molecule of prodrug is equivalent to approximately two molecules of ampicillin, the conversion of prodrug to drug during storage decreases the bioavailable ampicillin. This is different from an intravenous solution, wherein prodrug conversion to ampicillin produced no loss of available ampicillin. For example, during 10% prodrug conversion to drug without loss to degradation, the oral bioactivity from 10% prodrug is replaced by ampicillin with a net loss of 5%.

Therefore, the  $UT_{ratio}$  versus pH profile for talampicillin was significantly reduced (curve C, Fig. 3b) using a bioequivalent dose. As seen in Fig. 3a, talampicillin was lost primarily through conversion over the entire pH range. While conversion maintained potency for the intravenous solution so long as  $k_{nc} < k_h$ , an oral solution loses potency via conversion resulting in a decreased  $UT_{ratio}$  (compare curves B and C in Fig. 3b). Conversely, when  $k_{nc} < k_h$  for bacampicillin (Fig. 4a, pH < 3.5), overall loss was due primarily to

degradation ( $k_{nc}$ ). Therefore, there was no difference between the  $UT_{ratio}$  of the intravenous and the oral solution in this region (compare curve B to curve C in Fig. 4b).

## REFERENCES

1. R. E. Notari. *Biopharmaceutics and Clinical Pharmacokinetics*, 4th ed., Marcel Dekker, New York, 1987, pp. 316–338.
2. R. E. Notari. In M. Rowland and G. Tucker (ed.), *Pharmacokinetic Theory and Methodology*, Pergamon Press, New York, 1986, pp. 281–309.
3. N.-A. T. Nguyen, L. M. Ali, and R. E. Notari. *Pharm. Res.* 5:288–296 (1988).
4. M. I. Page. *Acc. Chem. Res.* 17:144–151 (1984).
5. P. Proctor, N. P. Gensmantel, and M. I. Page. *J. Chem. Soc. Perkin Trans. II*:1185–1192 (1982).
6. A. Tsuji, E. Miyamoto, T. Terasaki, and T. Yamana. *J. Pharm. Sci.* 68:1259–1263 (1979).
7. K. A. Connors, G. L. Amidon, and V. J. Stella (eds.). *Chemical Stability of Pharmaceuticals*, 2nd ed., John Wiley & Sons, New York, 1986, pp. 41–62, 163–714.
8. J. P. Clayton, M. Cole, S. W. Elson, and H. Ferres. *Antimicrob. Agents Chemother.* 5:670–671 (1974).
9. Y. Shiobara, A. Tachibana, H. Sasaki, T. Wantanabe, and T. Sado. *J. Antibiot.* 27(9):665–673 (1974).
10. N. O. Bodin, B. Ekstrom, U. Forsgren, L. P. Jalar, L. Magni, C. H. Ramsey, and B. Sjoberg. *Antimicrob. Agents Chemother.* 8:518–525 (1975).
11. T. Bergan. *Antimicrob. Agents Chemother.* 13:971–976 (1978).
12. J. Sjovall, L. Magni, and T. Beran. *Antimicrob. Agents Chemother.* 13:90–96 (1978).